<u>Cylindrical Coordinates</u>

You're probably also familiar with **polar coordinates**. In **two**dimensions, we can also specify a point with **two** scalar values, generally called ρ and ϕ .

_P(ρ,φ)

\Y

ρ

Ζ

We can extend this to **three**-dimensions, by adding a **third** scalar value *z*. This method for identifying the position of a point is referred to as **cylindrical coordinates**.

 $P(\rho, \phi, z)$

X

 \rightarrow_{x}

Note the **physical** significance of each parameter of **cylindrical** coordinates:

1. The value ρ indicates the **distance** of the point from the *z*-axis $(0 \le \rho < \infty)$.

2. The value ϕ indicates the rotation angle around the *z*-axis $(0 \le \phi < 2\pi)$, precisely the same as the angle ϕ used in spherical coordinates.

3. The value z indicates the distance of the point from the x-y (z = 0) plane ($-\infty < z < \infty$), precisely the same as the coordinate z used in Cartesian coordinates

Once all three values are specified, the position of a point is uniquely identified.

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