

Address Decoders

We need some way of **enabling** (i.e., selecting) the row and column (i.e., word line and bit line) that we are interested in **reading** from, or **writing** to.

Recall if there are 2^M words in a computer memory, then each **row** can be specified with an **M -bit address**.

Likewise, if there are 2^N bits in a computer memory, then each **column** can be specified with an **N -bit address**.

Thus, we need some way of constructing an **M -bit row decoder**, as well as an **N -bit row decoder**.

The logic expression is straightforward—we wish to enable output line Y_n (or Y_m) **if and only if** the address bits $A_0, A_1, A_2, A_3, \dots$ have the proper value.

Example:

Consider a small amount of RAM memory consisting of just **16 memory words**. Thus, each word can be specified with only an **$M=4$ bit address** (i.e., $2^4 = 16$).

Say we wish to build an **address decoder** to select word 9 (i.e., set $Y_9 = 1$) if, and **only** if, the address is a binary 9, i.e.:

$$A_3 = 1, A_2 = 0, A_1 = 0, A_0 = 1$$

Thus, the **Boolean Logic** description of this decoder is:

$$Y_9 = A_3 \overline{A_2} \overline{A_1} A_0$$

Likewise, for **other** word enable lines:

$$Y_0 = \overline{A_3} \overline{A_2} \overline{A_1} \overline{A_0}$$

$$Y_1 = \overline{A_3} \overline{A_2} \overline{A_1} A_0$$

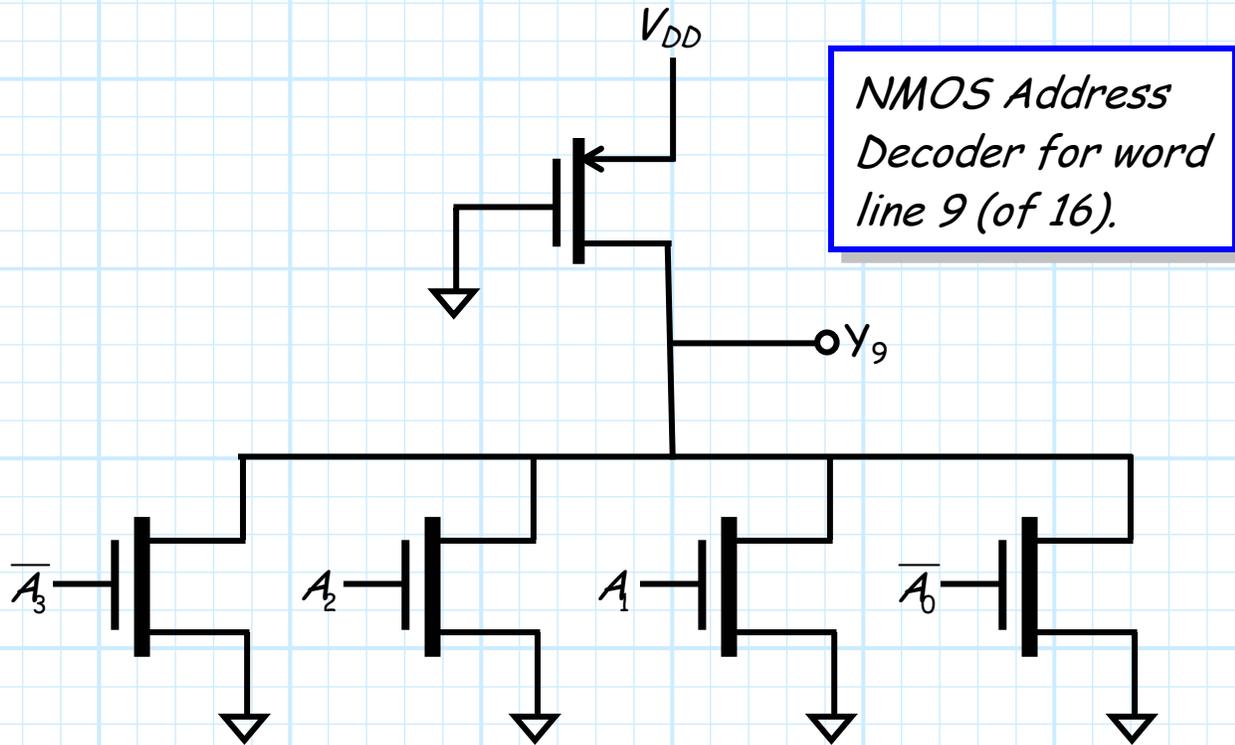
$$Y_2 = \overline{A_3} \overline{A_2} A_1 A_0$$

⋮

$$Y_{15} = A_3 A_2 A_1 A_0$$

Q: *Hey! Don't we **know** how to build logic circuits to realize **these** Boolean expressions?*

A: Yup! We learned how to do this in **section 10.3**. Often, address decoders are complex enough that we choose to use **NMOS** technology to design them.



We must construct one of these decoders for **each** and **every** word line and bit line (i.e., row and column). In other words, we must construct 2^M row decoders, and 2^N bit column decoders.