

# Steps for Analyzing Limiter Circuits

The junction diodes in most limiter circuits can/will be in forward bias, **or** reverse bias, **or** breakdown modes! Thus, the distinction between a Zener diode and a “normal” junction diode is essentially **meaningless**.

But, this presents us with a **big problem**—what diode **model** do we use to analyze a limiter? Recall that **none** of the diode models that we studied will provide accurate estimates for **all three** junction diode modes!

The **solution** we will use is to **change** the diode model we implement, as we consider **each** of the possible junction diode modes. Specifically:

## Junction Diode Mode

**Forward Bias**

**Reverse Bias**

**Breakdown**

## Junction Diode Model

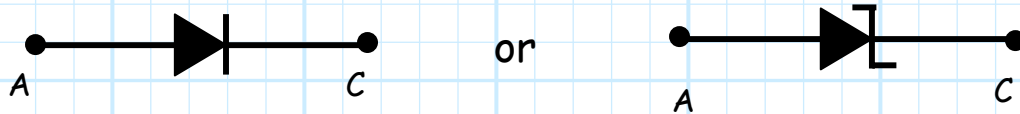
CVD model with ideal diode f.b.

Ideal diode model with ideal diode r.b

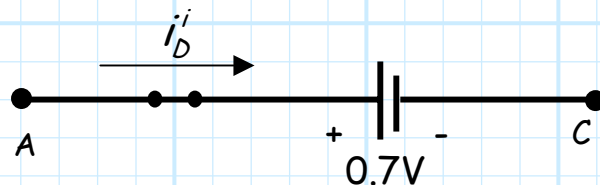
Zener CVD model with ideal diode f.b.

Step 1:

Assume that the limiter diode is **forward biased**, so replace



with a **CVD model**, where the **ideal diode is forward biased**:



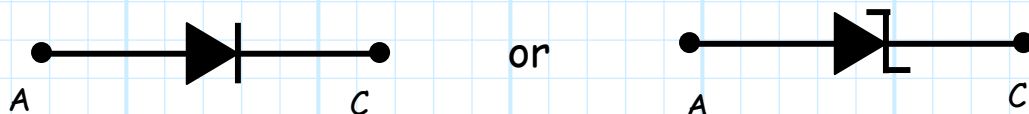
Now, using this model, **determine**:

1. The **output voltage**  $v_O$  in terms of input voltage  $v_I$ .
2. The **ideal diode current**  $i_D^i$  in terms of input voltage  $v_I$ .

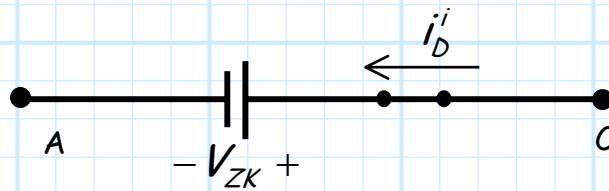
Finally, we solve the **inequality**  $i_D^i > 0$  for  $v_I$ , thus determining **when** (i.e., for what values of  $v_I$ ) this assumption, and thus the derived expression for output voltage  $v_O$ , is true.

Step 2:

Assume that the limiter diode is in **breakdown**, so replace



with a **Zener CVD model**, where the **ideal diode is forward biased**:



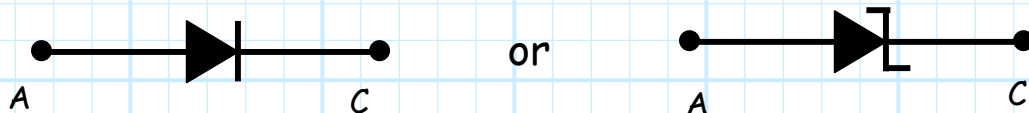
Now, using this model, **determine**:

1. The **output voltage**  $v_O$  in terms of input voltage  $v_I$ .
2. The **ideal diode current**  $i_D^i$  in terms of input voltage  $v_I$ .

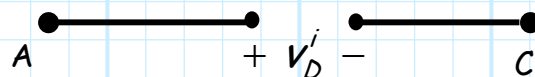
Finally, we solve the **inequality**  $i_D^i > 0$  for  $v_I$ , thus determining **when** (i.e., for what values of  $v_I$ ) this assumption, and thus the derived expression for output voltage  $v_O$ , is true.

### Step 3:

Assume that the limiter diode is **reverse biased**, so replace



with an **Ideal Diode model**, where the ideal diode is **reversed biased**:



Now, using this model, determine the **output voltage**  $v_O$  in terms of input voltage  $v_I$ .

**Q:** *What about  $v_D^i$ ? Don't we need to likewise determine its value, and then determine **when**  $v_D^i < 0$ ?*

**A:** Actually, **no**. If the junction diode is **not** forward biased and it is **not** in breakdown, then it **must** be reverse biased! As **obvious** as this statement is, we can use it determine **when** the junction diode is reverse biased—it's **when** the junction diode is **not** in forward bias **and when** it is **not** in reverse bias.

For **example**, say that we find that the junction diode is **forward biased** when:

$$v_I > 20 \text{ V},$$

and that the junction diode is in **breakdown** when:

$$v_I < -15 \text{ V}.$$

We can thus **conclude** that the junction diode is **reverse biased** when:

$$-15 \text{ V} < v_I < 20 \text{ V}$$

#### Step 4:

We take the result of the **previous 3 steps** and form a continuous, piecewise linear **transfer function** (make sure it's **continuous**, and that it's a **function!**).