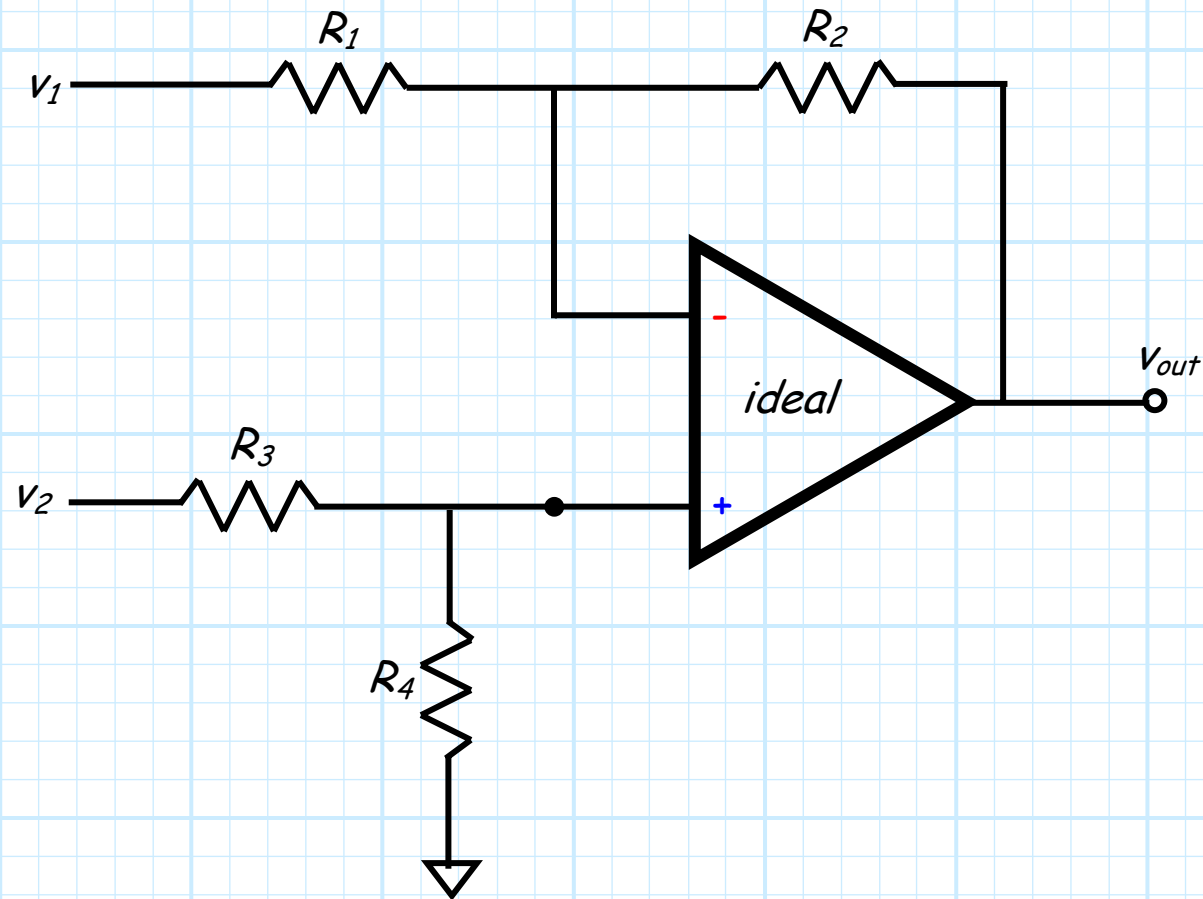


# Superposition and Op-Amp Circuits

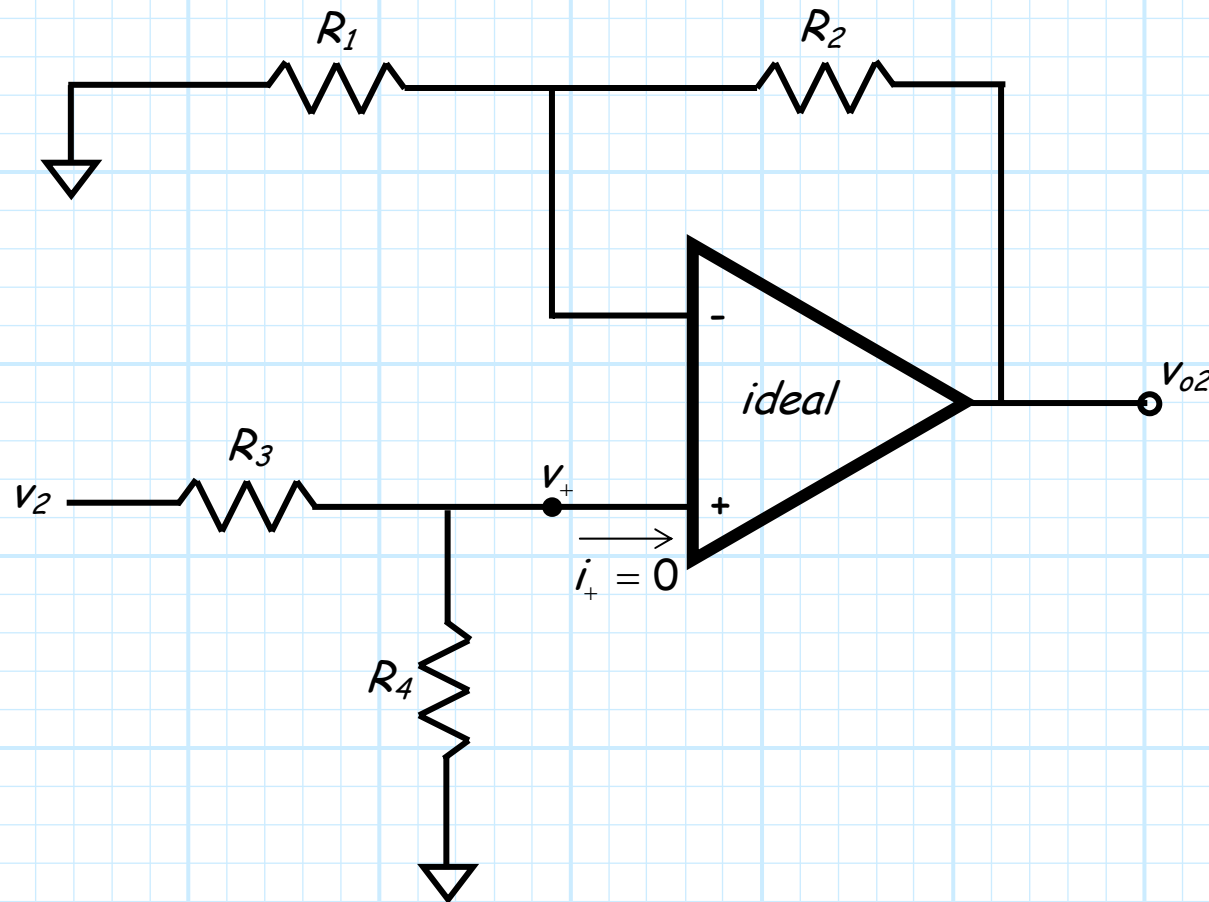
Consider **this** op-amp circuit, with two input voltages ( $v_1$  and  $v_2$ ):



## Apply superposition

The **easiest** way to analyze this circuit is to apply **superposition**! Recall that op-amp circuits are **linear**, so superposition applies.

Our **first step** is to set all sources to zero, **except**  $v_2$ —in other words, set  $v_1 = 0$  (connect it to ground potential):



$$\underline{v_1 = 0}$$

Since the current into the non-inverting input of the op-amp is **zero** ( $i_+ = 0$ ), it is evident that:

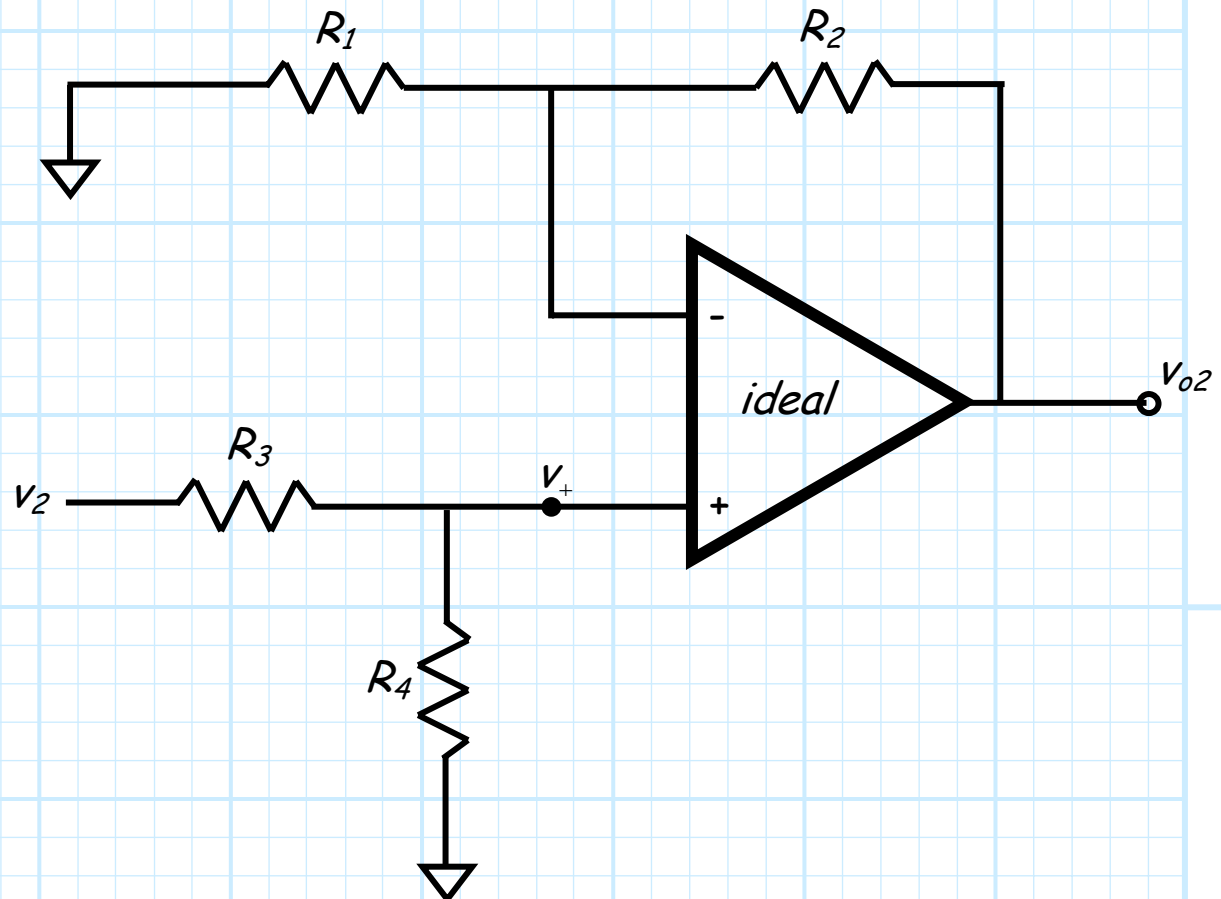
$$v_+ = \frac{R_4}{R_3 + R_4} v_2$$

Likewise, the remainder of the circuit is simply the **non-inverting amplifier**, where:

$$v_{o2} = \left(1 + \frac{R_2}{R_1}\right) v_+$$

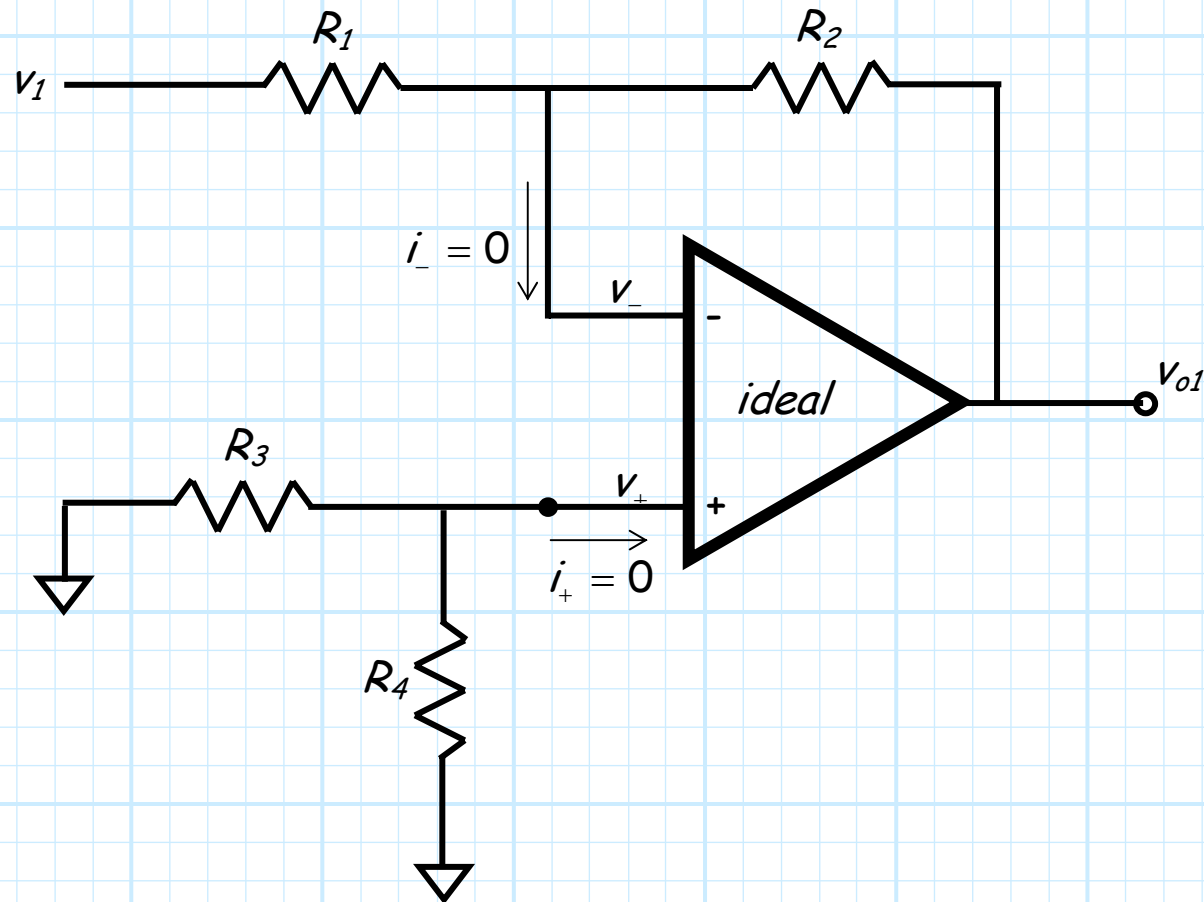
Combining these two equations, we get:

$$v_{o2} = \left(1 + \frac{R_2}{R_1}\right) \left(\frac{R_4}{R_3 + R_4}\right) v_2$$



$$\underline{v_2 = 0}$$

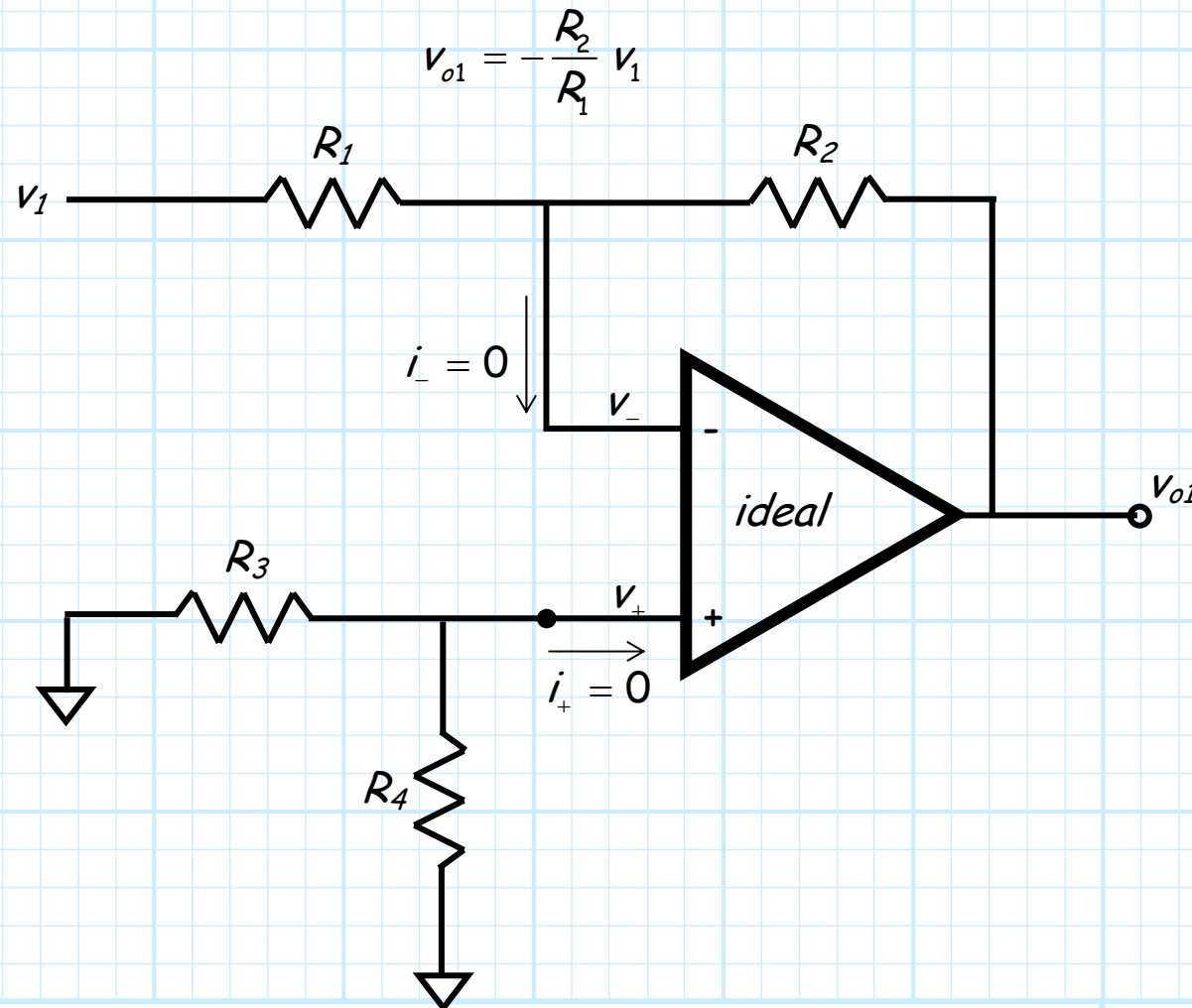
Now for the **second step**. Turn off all sources except  $v_1$ —in other words set  $v_2 = 0$ :



## An inverting amp

It is evident that since the current into the non-inverting terminal of the op-amp is **zero**, the voltage  $v_+$  is likewise **zero**.

Thus, the circuit above is simply an **inverting amplifier**, where:



## And the result

There are **no** more sources in this circuit, so that we can conclude from **superposition** that the output voltage is the sum of our two, single-source solutions:

$$V_{out} = V_{o1} + V_{o2} = \left(1 + \frac{R_2}{R_1}\right) \left(\frac{R_4}{R_3 + R_4}\right) V_2 - \left(\frac{R_2}{R_1}\right) V_1$$

Note this circuit is effectively a **weighted difference amplifier**.

