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<u>Example: The Input</u>

<u>Bias Current</u>

Q: How do **input bias currents** I_{B1} and I_{B2} affect amplifier operation?

A: Consider both inverting and non-inverting configurations.

Inverting Configuration



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KCL is now a bit more tricky!

In this case, we apply KCL and we find:

$$\dot{i_1} = \dot{i_2} + \mathcal{I}_{B1}$$

However, we still find $v_{-} \simeq v_{+} = 0$ (**neglecting** the input offset voltage) by virtue of the virtual short.

Therefore, from KVL and Ohm's Law:

$$i_{1} = \frac{v_{in} - v_{-}}{R_{1}} = \frac{v_{in}}{R_{1}} \quad \text{and} \quad i_{2} = \frac{v_{-} - v_{out}}{R_{2}} = \frac{-v_{out}}{R_{2}}$$
Combining these results:
$$\frac{v_{in}}{R_{1}} = \frac{-v_{out}}{R_{2}} + I_{B1}$$
The output voltage is thus:
$$i_{1}$$

$$v_{in}$$

$$\frac{v_{in}}{I_{B1}} = \frac{-v_{out}}{I_{B1}} + I_{B1}$$

$$v_{in}$$

$$\frac{v_{in}}{I_{B1}} = \frac{v_{in}}{I_{B2}}$$

Should we make R1 really small?

Note again that if $I_{B1} = 0$, the result reduces to the expected inverting amplifier equation:

The second term in the above expression $(I_{\beta_1} R_1)$ therefore represents another **output offset voltage**!

 $V_{out} = -\left(\frac{R_2}{R_1}\right)V_{in}$

It appears that we should keep the value of R_1 small to minimize the output offset voltage.



 I_{B2}

OV_{out}





We have another trick or two up our sleeve

Again, we find that this result is simply the ideal non-inverting expression:



with an added output offset voltage term:

$I_{B1} R_2$

In this case, we find that this offset voltage is minimized by making feedback resistor R_2 small.

In general, we find that the effects of the input bias currents can be minimized by using **small** resistor values.

However, we will find that there is an **additional strategy** for minimizing the effects of input bias currents!

