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DC and Small-Signal

<u>Components</u>

Note that we have used **DC sources** in all of our example circuits thus far.

We have done this just to **simplify** the analysis—generally speaking, realistic (i.e., useful) junction diode circuits will have sources that are **time-varying**!

The result will be voltages and currents in the circuit that will likewise vary with time (e.g., i(t) and v(t)).

For example, we can express the forward bias junction diode equation as:

$$i_{\mathcal{D}}(t) = \mathbf{I}_{s} e^{\frac{V_{\mathcal{D}}(t)}{nV_{T}}}$$

Although source voltages $v_s(t)$ or currents $i_s(t)$ can be any general function of time, we will find that often, in realistic and useful electronic circuits, that the source can be decomposed into two separate components—the DC component V_s , and the small-signal component $v_s(t)$. I.E.:

$v_{\mathcal{S}}(t) = V_{\mathcal{S}} + v_{\mathcal{S}}(t)$

Let's look at each of these components individually:

* The **DC component** V_s is exactly what you would expect—the DC component of source $v_s(t)$!

Note this DC value is **not** a function of time (otherwise it would not be DC!) and therefore is expressed as a **constant** (e.g., $V_{S} = 12.3 V$).

Mathematically, this DC value is the **time-averaged** value of $v_{s}(t)$:

$$V_{s} = \frac{1}{T} \int_{0}^{T} V_{s}(t) dt$$

where T is the time duration of function $v_s(t)$.

* As the notation indicates, the small-signal component $v_s(t)$ is a function of time!

Moreover, we can see that this signal is an **AC signal**, that is, its time-averaged value is **zero**! I.E.:

$$\frac{1}{T}\int_{0}^{t} v_{s}(t) dt = 0$$

This signal $v_s(t)$ is also referred to as the small-signal component.

* The **total** signal $v_s(t)$ is the sum of the DC and small signal components. Therefore, it is **neither** a DC nor an AC signal!

Pay attention to the **notation** we have used here. We will use this notation for the remainder of the course!

* **DC values** are denoted as **upper-case** variables (e.g., V_{S} , I_{R} , or V_{D}).

* Time-varying signals are denoted as lower-case variables (e.g., $v_{s}(t), v_{r}(t), i_{b}(t)$).

Also,

* AC signals (i.e., zero time average) are denoted with lower-case subscripts (e.g., $v_s(t), v_d(t), i_r(t)$).

* Signals that are **not** AC (i.e., they have a nonzero DC component!) are denoted with **upper-case** subscripts (e.g., $V_{s}(t)$, I_{D} , $i_{R}(t)$, V_{D}).

Note we should **never** use variables of the form V_i , I_e , V_b . Do **you** see why??

Q: You say that we will often find sources with **both** components—a DC and small-signal component. **Why** is that? What is the significance or physical reason for each component?

Jim Stiles

A1: First, the DC component is typically just a DC bias. It is a known value, selected and determined by the design engineer.

It carries or relates **no information**—the only reason it exists is to make the electronic devices work the way we want!

A2: Conversely, the small signal component is typically unknown!

It is the signal that we are often attempting to **process** in some manner (e.g., amplify, filter, integrate). The signal itself represents **information** such as audio, video, or data.

Sometimes, however, this small, AC, unknown signal represents not information—but **noise**!



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Noise is a **random**, unknown signal that in fact masks and **corrupts** information.

Our job as designers is to **suppress** it, or otherwise minimize it deleterious effects.

* This noise may be changing very rapidly with time (e.g., MHz), or may be changing very slowly (e.g., mHz).

* Rapidly changing noise is generally "**thermal noise**", whereas slowly varying noise is typically due to slowly varying environmental conditions, such as **temperature**.

Note that in addition to (or perhaps because of) the source voltage $v_s(t)$ having both a DC bias and small-signal component, **all the currents and voltages** (e.g., $i_R(t)$, $v_D(t)$) within our circuits will likewise have **both** a DC bias and small-signal component!

For example, the junction **diode voltage** might have the form:

$$v_{0}(t) = 0.66 + 0.001 \cos \omega t$$

It is hopefully evident that:

$$V_{b} = 0.66 V$$
 and $V_{d}(t) = 0.001 \cos \omega t$

