<u>Example: Small-Signal BJT</u> <u>Approximations</u>

Say that we wish to find the collector current i_c of a BJT biased in the active mode, with $I_s = 10^{-12} A$ and a **base-emitter voltage** of:

$$V_{RF} = 0.6 + 0.001 \cos \omega t \quad V$$



we find:

$$i_{\mathcal{C}}(t) = \left(I_{\mathcal{S}} e^{0.6/V_{T}}\right) e^{(0.001\cos\omega t/V_{T})}$$

right?

A: Although this answer is definitely correct, it is not very **useful** to us as engineers. Clearly, the base-emitter voltage consists of a **D**.C. bias term (0.6 V) and a small-signal term $(0.001\cos\omega t)$.

Accordingly, we are interested in the **D.C.** collector current I_c and the small-signal collector current i_c . The D.C. collector current is obviously:

 $I_{C} = I_{S} e^{0.6/\nu_{T}}$ $= 10^{-12} e^{0.6/0.025}$ = 26 mA

But how do we determine the small-signal collector current $i_c(t)$ from:

$$i_{\mathcal{C}}(t) = \left(I_{\mathcal{S}} e^{0.6/V_{T}}\right) e^{(0.001\cos(wt/V_{T}))}$$

The answer, of course, is to use the small-signal approximation.

We know that:

$$i_c(t) = g_m v_{be}(t)$$

where:

$$g_m = rac{I_c}{V_{\tau}} = rac{26mA}{25mV} = 1.06 \ \Omega^{-1}$$

Therefore, the small-signal collector current is approximately:

$$i_{c}(t) = g_{m} v_{be}(t)$$
$$= 1.06 (0.001 \cos \omega t)$$
$$= 1.06 \cos \omega t \quad \text{mA}$$

and therefore the **total** collector current is:

A: The D.C. bias current becomes:

$$I_{c} = I_{s} e^{0.7/V_{T}} = 10^{-12} e^{0.7/0.025} = 1446 \text{ mA}$$
 !!!

since the **transconductance** is now:

$$g_m = rac{I_c}{V_T} = rac{1446 mA}{25 mV} = 57.84 \ \Omega^{-1}$$

the small-signal collector current is:

$$\dot{v}_{c}(t) = g_{m} v_{be}(t)$$

= 57.84(0.001coswt)
= 57.8coswt mA

Quite an increase!

Changing the transistor operating point (i.e., the DC bias point) will typically make a **big** difference in the small-signal result!