

E. Circulators and Isolators

Q: *You made a big deal about **linear** devices and **passive** devices and **reciprocal** devices, but we have yet to discuss even one microwave device that is **all** of those things. Are Circulators and Isolators **all** of those things?*

A: Nope. They **are** linear, and they **are** passive, but they are **not reciprocal**. It is their non-reciprocal nature that makes them **useful!**

HO: The Circulator

HO: The Isolator

Circulators

A circulator is a matched, lossless but **non-reciprocal** 3-port device, whose scattering matrix is **ideally**:

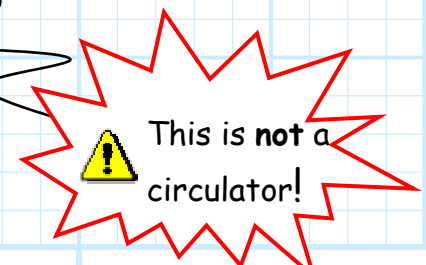
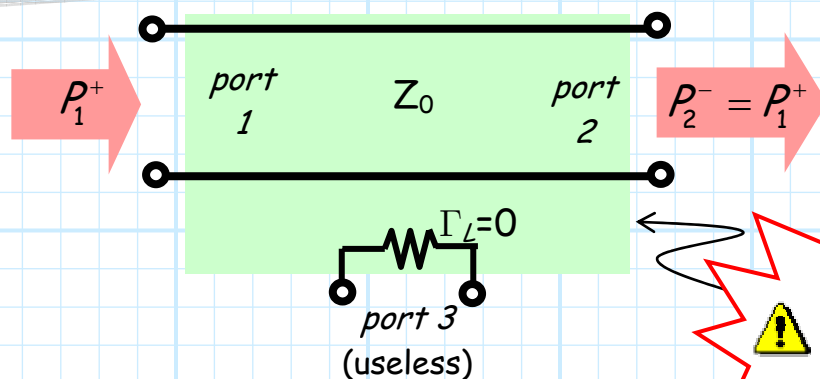
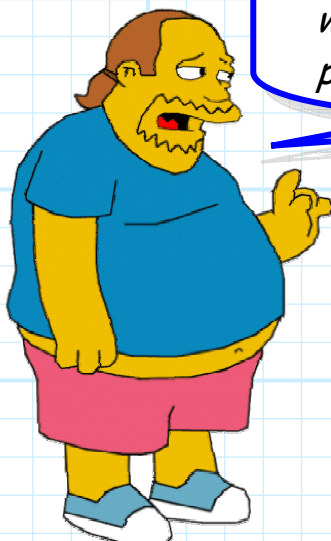
$$\mathcal{S} = \begin{bmatrix} 0 & 0 & 1 \\ 1 & 0 & 0 \\ 0 & 1 & 0 \end{bmatrix}$$

Circulators use anisotropic **ferrite** materials, which are often "biased" by a permanent magnet! → The result is a **non-reciprocal** device!

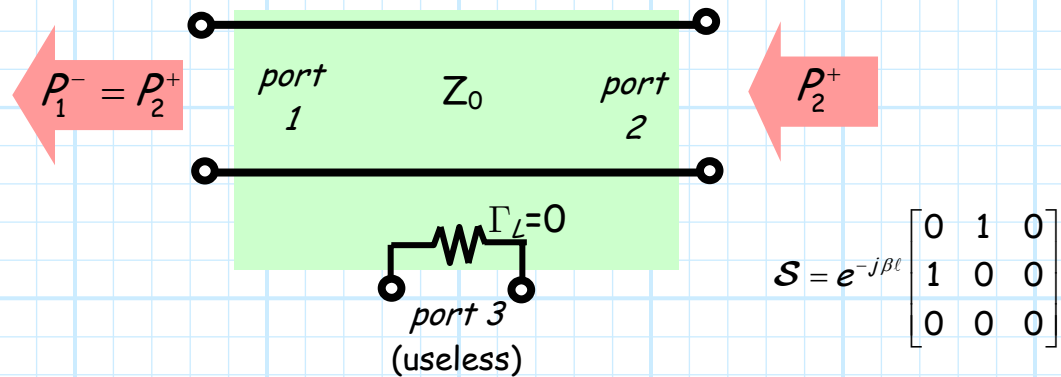
First, we note that for a circulator, the power incident on port 1 will exit **completely** from port 2:

$$P_2^- = P_1^+$$

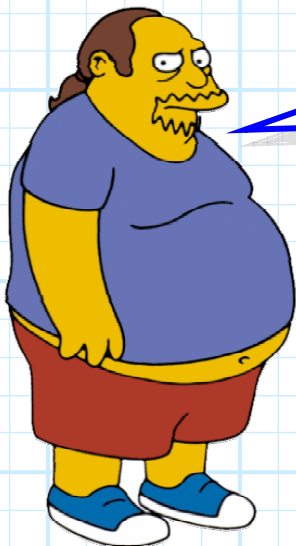
Pardon me while I sarcastically yawn. This unremarkable behavior is likewise true for the simple circuit below, which requires just a length of transmission line. Oh please, continue to waste our valuable time.



True! But a transmission line, being a **reciprocal** device, will likewise result in the power incident on port 2 of your simple circuit to **exit** completely from port 1 ($P_1^- = P_2^+$):



But, this is **not** true for a circulator! If power is incident on port 2, then **no power** will exit port 1!

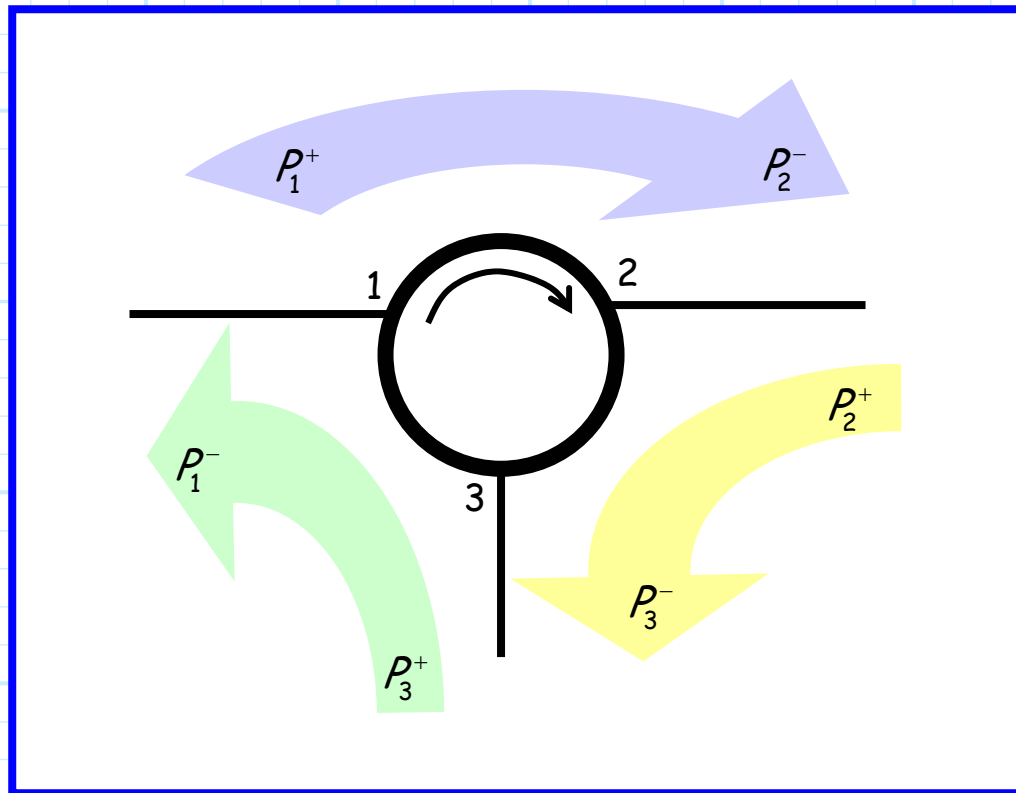


Q: You have been *surprisingly* successful in regaining my interest. Please tell us then, just *where* does the power incident on port 2 go?

A: It will exit from port 3!

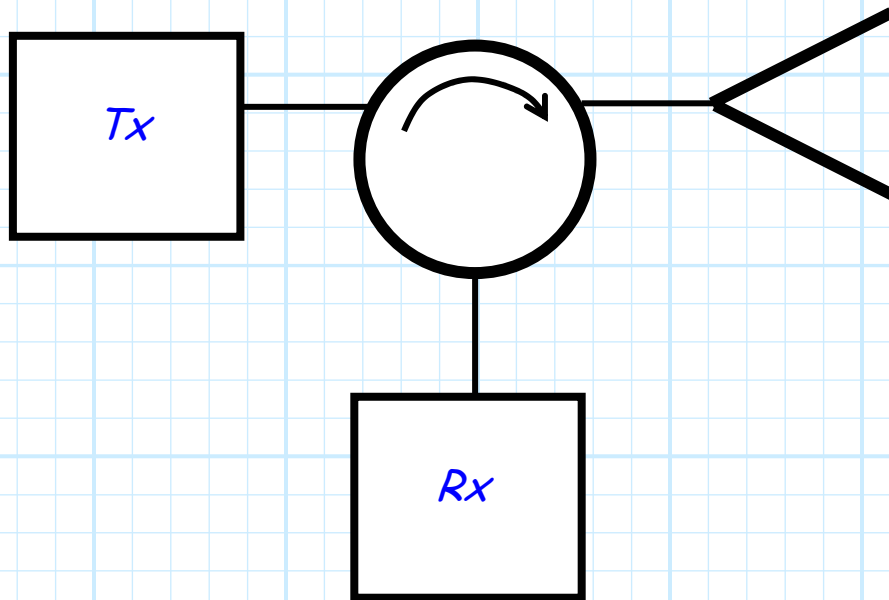
Likewise, power flowing into port 3 will exit—port 1!

It is evident, then how the circulator gets its **name**: power appears to **circulate** around the device, a behavior that is emphasized by its device **symbol**:



We can see that, for example, a **source** at port 2 “thinks” it is attached to a **load** at port 3, while a **load** at port 2 “thinks” it is attached to a **source** at port 1!

This behavior is useful when we want to use **one** antenna as **both** the transmitter and receiver antenna. The transmit antenna (i.e., the load) at port 2 **gets** its power from the transmitter at **port 1**. However, the receive antenna (i.e., the source) at port 2 **delivers** its power to the receiver at **port 3**!



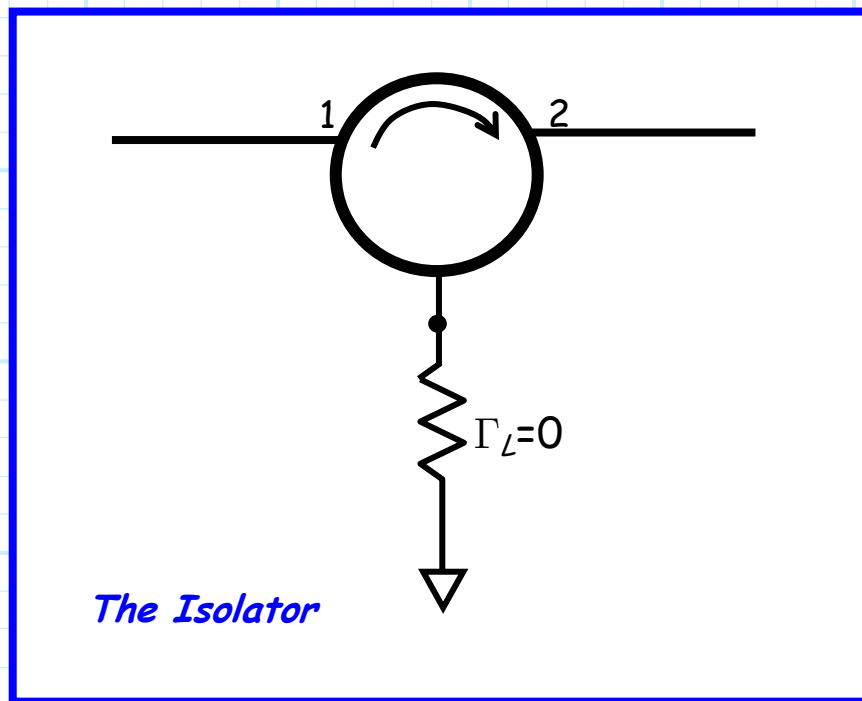
It is **particularly** important to keep the transmitter power from getting to the receiver. To accomplish this, the **antenna** must be **matched** to the transmission line. Do you see why?

Finally, we should note some major **drawbacks** with a circulator:

1. They're **expensive**.
2. They're **heavy**.
3. They generally produce a large, static **magnetic field**.
4. They typically exhibit a large **insertion loss** (e.g., $|S_{21}|^2 = |S_{32}|^2 = |S_{13}|^2 \approx 0.75$).

Isolators

An **isolator** is simply a **circulator**, with port 3 terminated in a **matched load**!



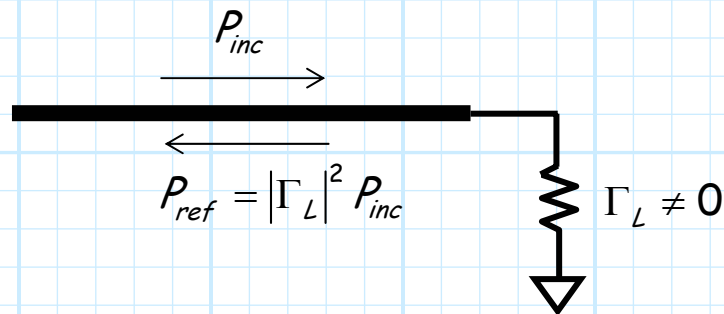
The matched load at port 3 insures that $P_3^+ = 0$ **always**. As a result we know that $P_1^- = P_3^+ = 0$ **—always!**

An ideal isolator is thus a **two-port** device with an **odd** looking scattering matrix:

$$\mathcal{S} = \begin{bmatrix} 0 & 0 \\ 1 & 0 \end{bmatrix}$$

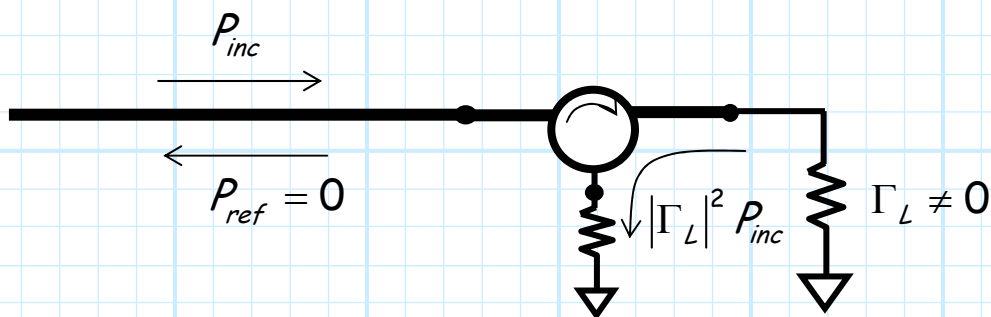
Therefore, $P_2^- = P_1^+$, but $P_1^- = 0$ regardless of P_2^+ --an ideal isolator is matched, but is also non-reciprocal and **lossy!**

An isolator is useful for **isolating** a load from a source. For example, consider an **unmatched** load at the end of a transmission line:



Plenty of power is reflected back toward the source!

Now, let's **insert** an isolator between the source and load:



There is **no power** reflected back to the source! Instead, power reflected by the load is **absorbed** by the isolator.

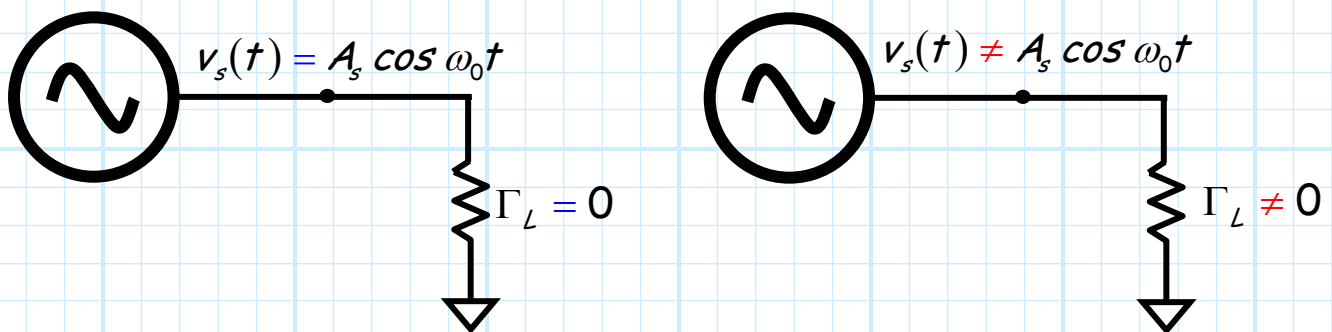
To the source, the circuit appears **matched**—but it's **not**!

If the isolator was truly a matching network, then the **absence** of reflected power would indicate that **all** the incident power was absorbed by the **load**. Instead, there is no reflected power because this power is instead absorbed by the **isolator**—the isolator is **lossy**!

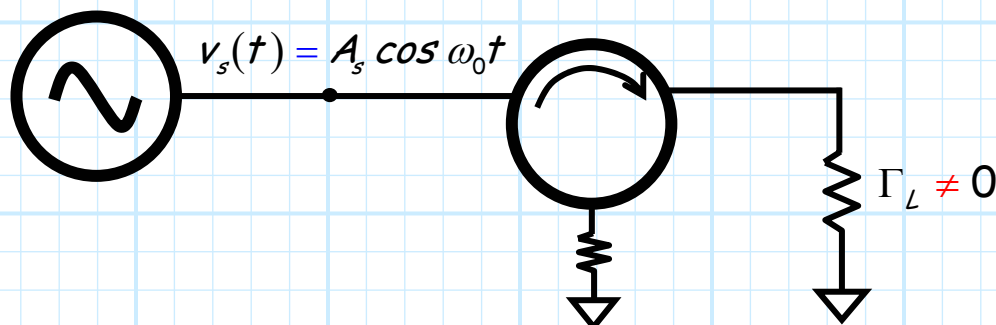
Q: So what *good* is this device? Why would we care if the device "looks" like a matched load if in fact the power is *not* efficiently delivered to it?

A: There are many devices whose "behavior" is dependent on the impedance of the devices attached to it. Devices are designed (typically) to provide optimal performance when they are attached to **other** matched devices. If they not, then (in **addition** to inefficient power transfer) the performance of the device may be degraded.

For example, consider the problem of **frequency pulling** with regard to a microwave oscillator. Recall that a **mismatched** load will cause the **frequency** of the signal to **shift** from its ideal value ω_0 .



If we place an **isolator** between the source and the load, we can **fix this problem!**



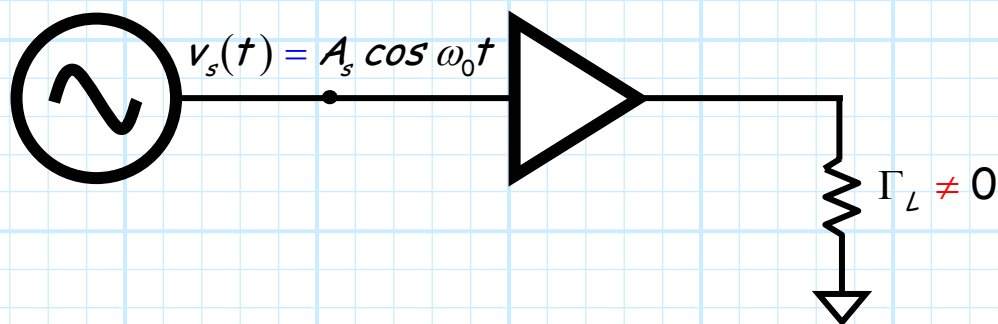
But remember, the power delivered to this mismatched load is **less** than that available at the source!

Q: *So why wouldn't we use a lossless **matching network** instead of an isolator? With a matching network we eliminate frequency pulling **and** provide maximum power transfer to the load.*

A: Making a good wideband matching network is more **difficult** than you might imagine, particularly when the load you're matching to is **badly** mismatched and **changes** significantly as a function of frequency (i.e., the **LO port** of a mixer).

It turns out that an **isolator** will almost certainly provide a better "match" over a **wider** frequency bandwidth.

Q: *In an earlier handout you said that we could isolate an oscillator with an **amplifier**. How does that work?*



A: Remember the scattering matrix for an **ideal amplifier**:

$$\mathbf{S}_{amp} = \begin{bmatrix} 0 & 0 \\ S_{21} & 0 \end{bmatrix} \quad \text{where} \quad |S_{21}| \gg 1$$

Compare this to the scattering matrix for an **isolator**:

$$S_{iso} = \begin{bmatrix} 0 & 0 \\ 1 & 0 \end{bmatrix}$$

Note the amplifier has essentially the **same form** ($S_{12} = 0$) as an isolator, and so it can perform the **same isolation function!**

"Back in the day", microwave amplifiers were **large and expensive**, and so they **rarely** would be used **simply** for providing isolation.

But, with the advent of **MMIC** (monolithic microwave integrated circuits) technology, the price and size of microwave amplifiers have **dramatically** been reduced, such that they now are **commonly** used to provide isolation—particularly around the poorly matched ports of a microwave **mixer!**