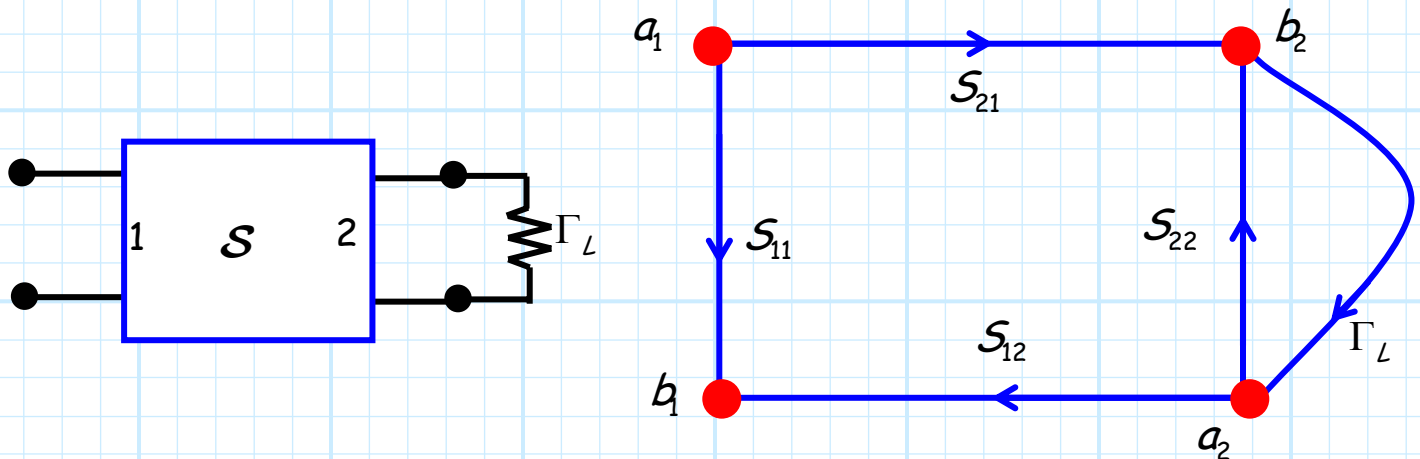


Example: Decomposition of Signal Flow Graphs

Consider the basic 2-port network, terminated with load Γ_L .



Say we want to determine the value:

$$\Gamma_1 \doteq \frac{V_1^-(z = z_{1p})}{V_1^+(z = z_{1p})} = \frac{b_1}{a_1} \quad ??$$

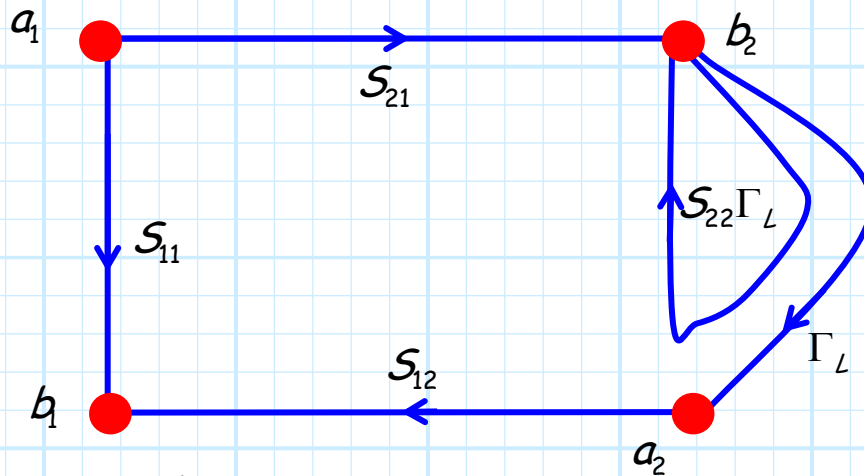
In other words, what is the **reflection coefficient** of the resulting **one-port** device?

Q: *Isn't this simply S_{11} ?*

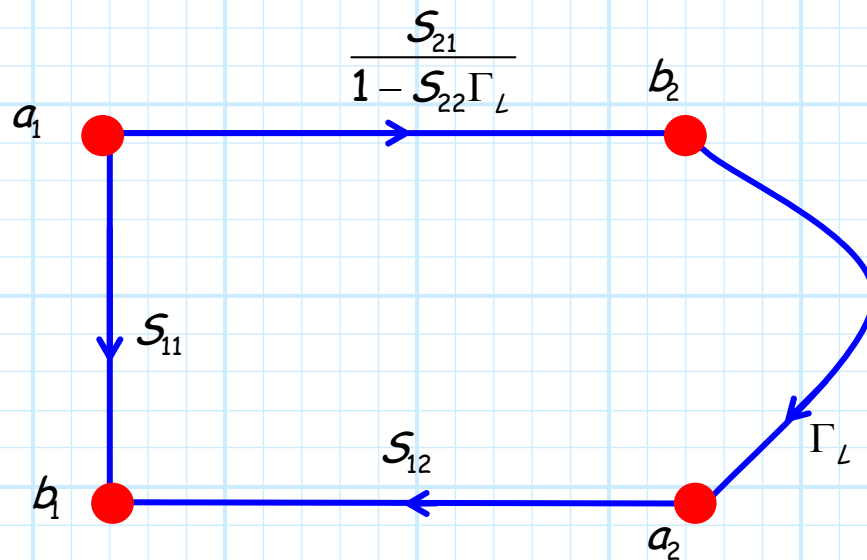
A: Only if $\Gamma_L = 0$ (and it's **not**)!!

So let's decompose (simplify) the signal flow graph and find out!

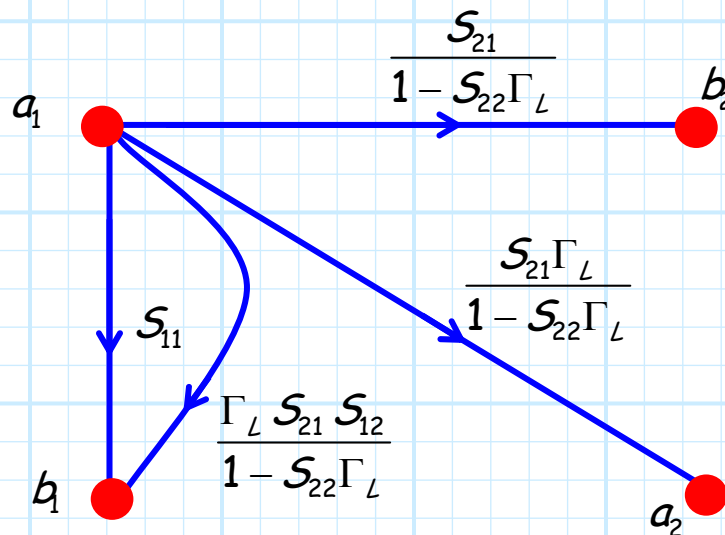
Step 1: Use rule #4 on node a_2



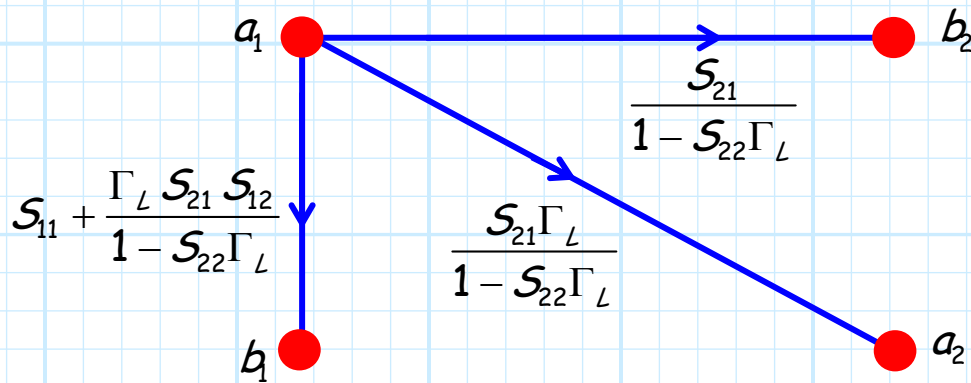
Step 2: Use rule #3 on node b_2



Step 3: And then using rule #1:



Step 4: Use rule 2 on nodes a_1 and b_1



Therefore:

$$\Gamma_1 = \frac{b_1}{a_1} = S_{11} + \frac{\Gamma_L S_{21} S_{12}}{1 - S_{22} \Gamma_L}$$

Note if $\Gamma_L = 0$, then $\frac{b_1}{a_1} = S_{11}$!