

Fig. 2.5 Parse tree for $9 - 5 + 2$ according to the grammar in Example 2.1.

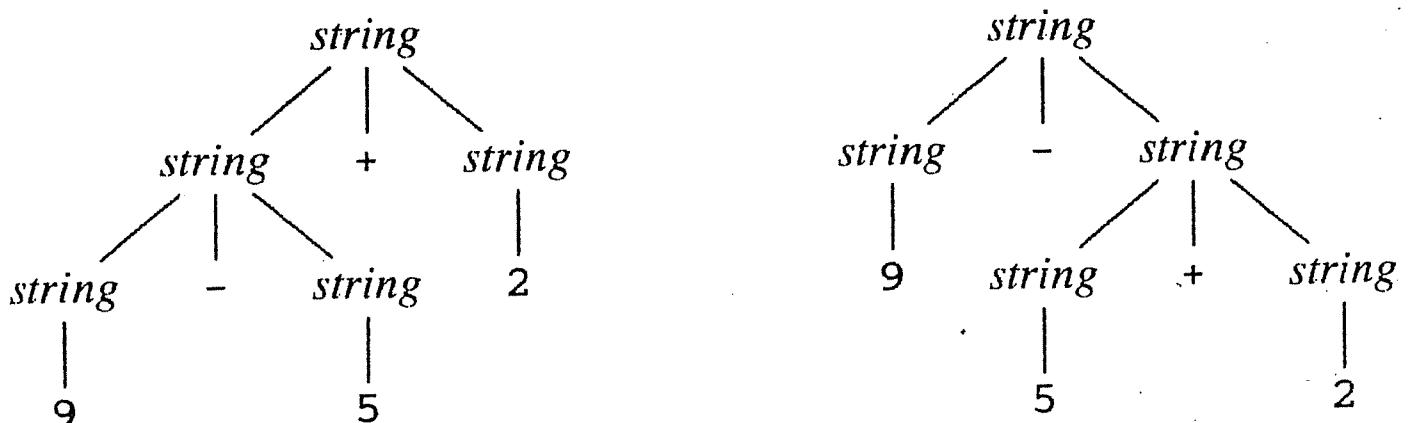


Fig. 2.6. Two parse trees for $9 - 5 + 2$.

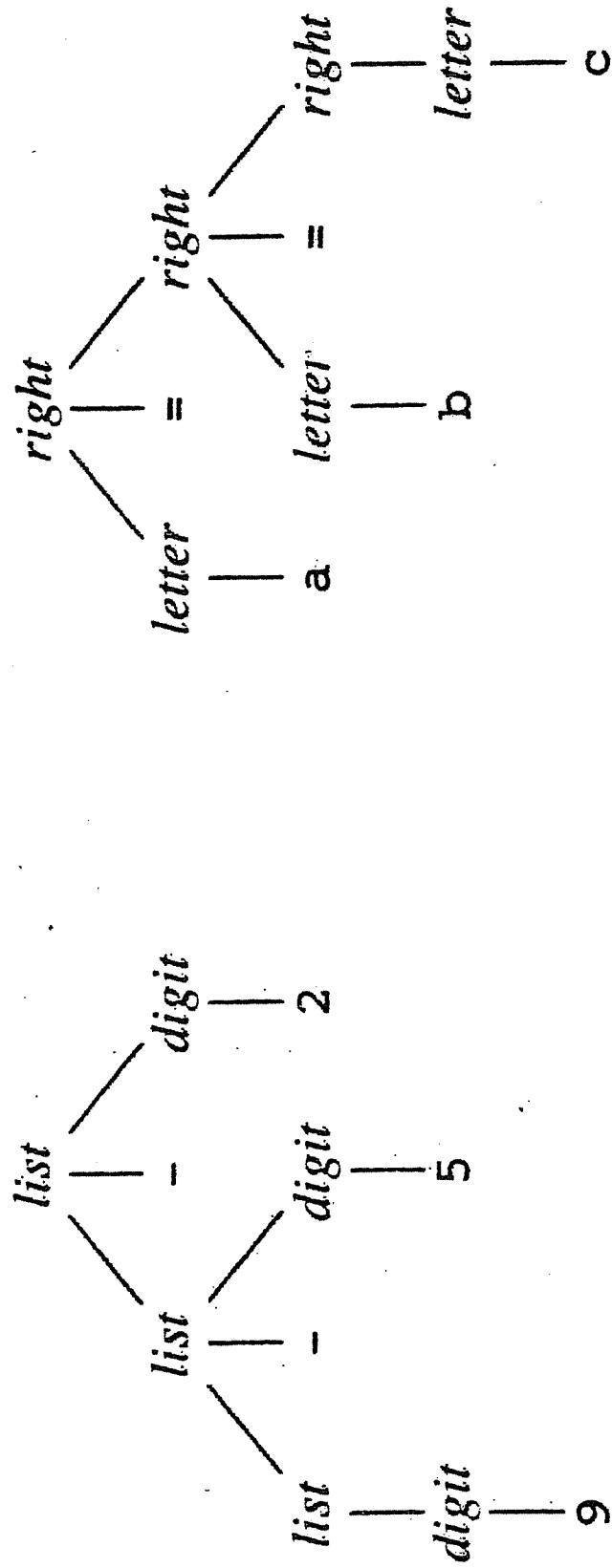


Fig. 2.7. Parse trees for left- and right-associative operators.

PRODUCTION	SEMANTIC RULE
$expr \rightarrow expr_1 + term$	$expr.t := expr_1.t \parallel term.t \parallel '+'$
$expr \rightarrow expr_1 - term$	$expr.t := expr_1.t \parallel term.t \parallel '-'$
$expr \rightarrow term$	$expr.t := term.t$
$term \rightarrow 0$	$term.t := '0'$
$term \rightarrow 1$	$term.t := '1'$
...	...
$term \rightarrow 9$	$term.t := '9'$

Fig. 2.10. Syntax-directed definition for infix to postfix translation.

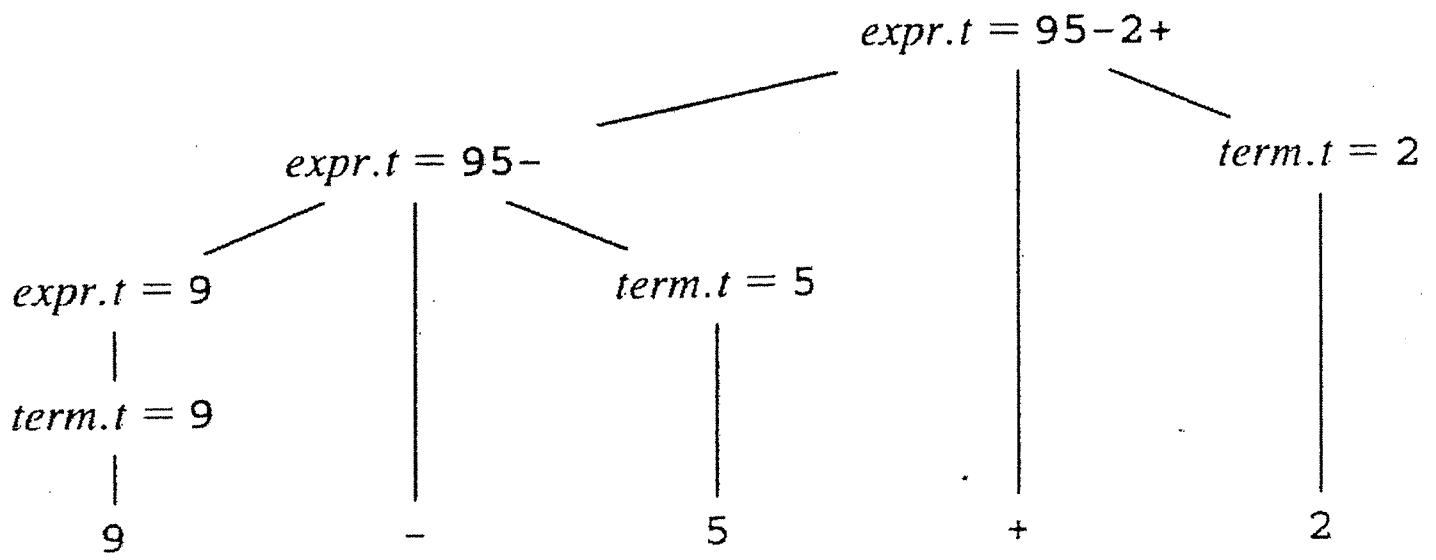


Fig. 2.9. Attribute values at nodes in a parse tree.

PRODUCTION	SEMANTIC RULES
$seq \rightarrow \text{begin}$	$seq.x := 0$ $seq.y := 0$
$seq \rightarrow seq_1 \text{ instr}$	$seq.x := seq_1.x + \text{instr}.dx$ $seq.y := seq_1.y + \text{instr}.dy$
$\text{instr} \rightarrow \text{east}$	$\text{instr}.dx := 1$ $\text{instr}.dy := 0$
$\text{instr} \rightarrow \text{north}$	$\text{instr}.dx := 0$ $\text{instr}.dy := 1$
$\text{instr} \rightarrow \text{west}$	$\text{instr}.dx := -1$ $\text{instr}.dy := 0$
$\text{instr} \rightarrow \text{south}$	$\text{instr}.dx := 0$ $\text{instr}.dy := -1$

Fig. A. Syntax-directed definition of the robot's position.

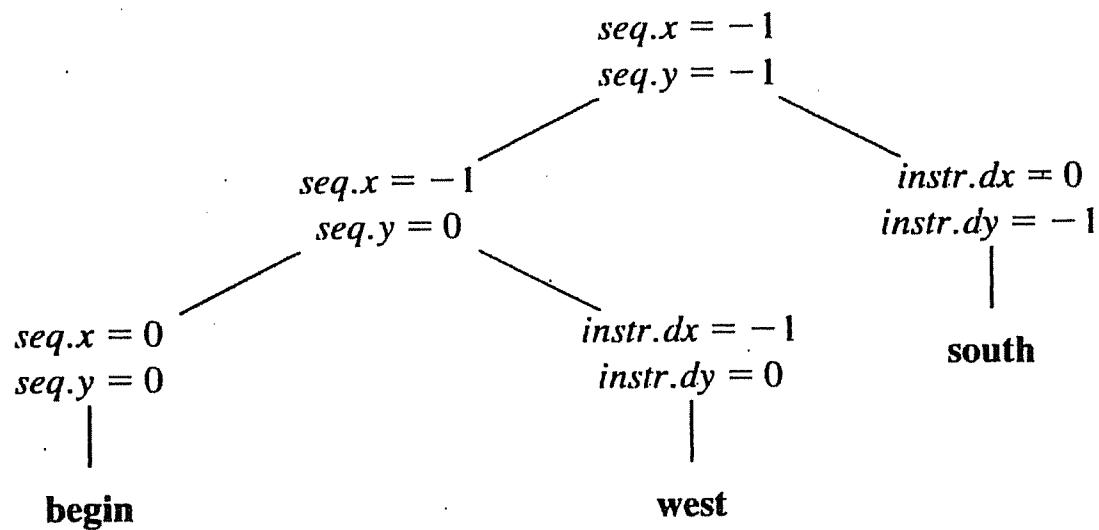


Fig. B. Annotated parse tree for **begin west south**.

```
procedure visit( $n$  : node);  
begin  
    for each child  $m$  of  $n$ , from left to right do  
        visit( $m$ );  
    evaluate semantic rules at node  $n$   
end
```

Fig. 2.11. A depth-first traversal of a tree.

$expr \rightarrow expr + term$	{ print('+') }
$expr \rightarrow expr - term$	{ print('-') }
$expr \rightarrow term$	
$term \rightarrow 0$	{ print('0') }
$term \rightarrow 1$	{ print('1') }
...	
$term \rightarrow 9$	{ print('9') }

Fig. 2.15. Actions translating expressions into postfix notation.

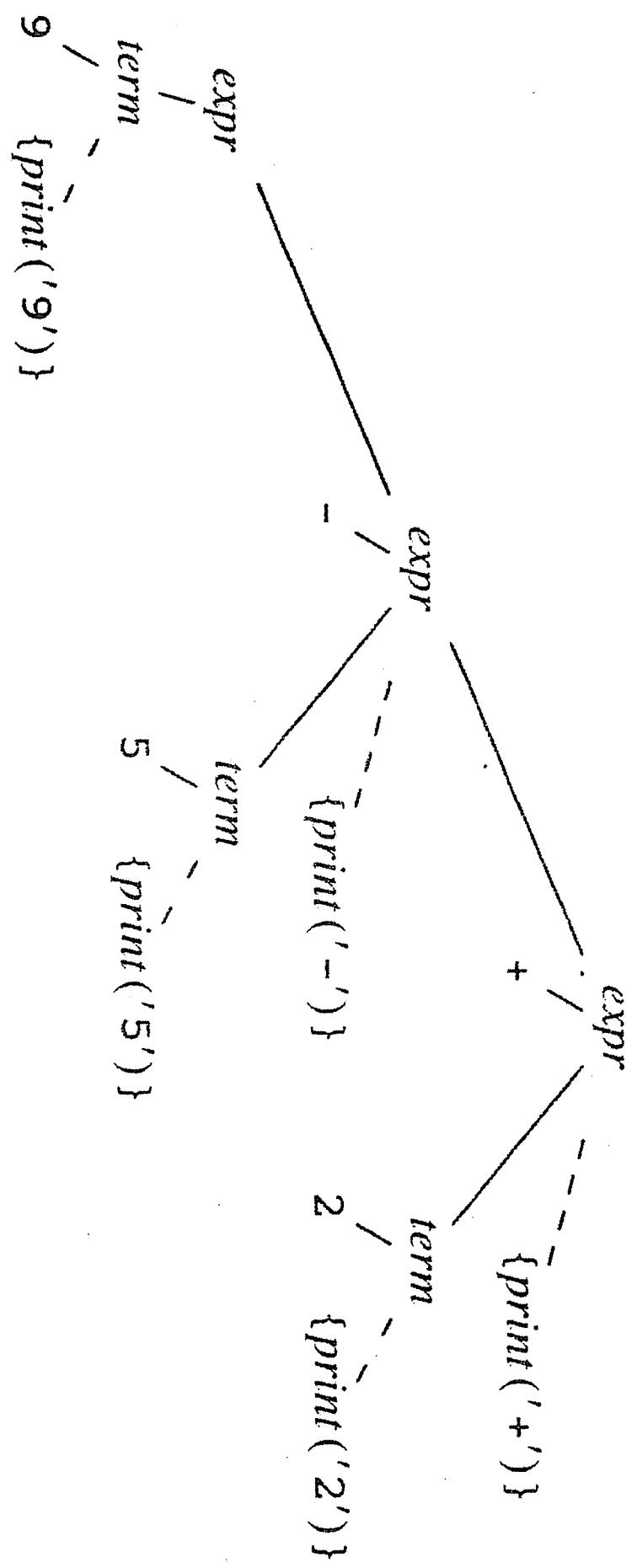


Fig. 2.14. Actions translating $9 - 5 + 2$ into $95 - 2 +$.

$stmt \rightarrow expr ;$
 |
 | $if (expr) stmt$
 | $for (optexpr ; optexpr ; optexpr) stmt$
 | $other$

$optexpr \rightarrow \epsilon$
 |
 | $expr$

Figure 2.16: A grammar for some statements in C and Java

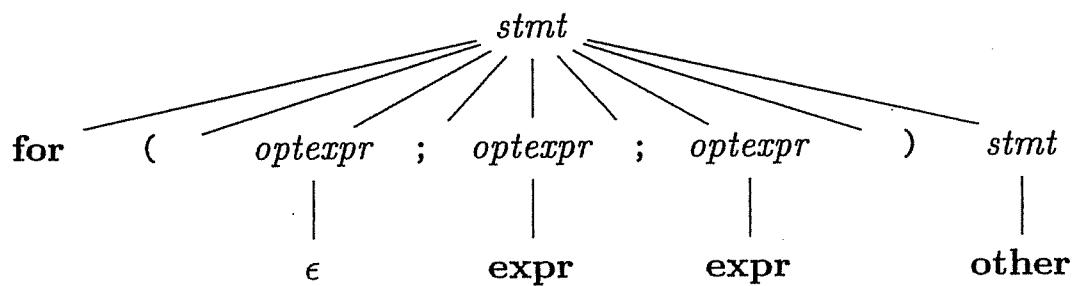


Figure 2.17: A parse tree according to the grammar in Fig. 2.16

$$\begin{array}{lcl}
 stmt & \rightarrow & expr ; \\
 & | & if (expr) stmt \\
 & | & for (optexpr ; optexpr ; optexpr) stmt \\
 & | & other
 \end{array}$$

$$\begin{array}{lcl}
 optexpr & \rightarrow & \epsilon \\
 & | & expr
 \end{array}$$

Figure 2.16: A grammar for some statements in C and Java

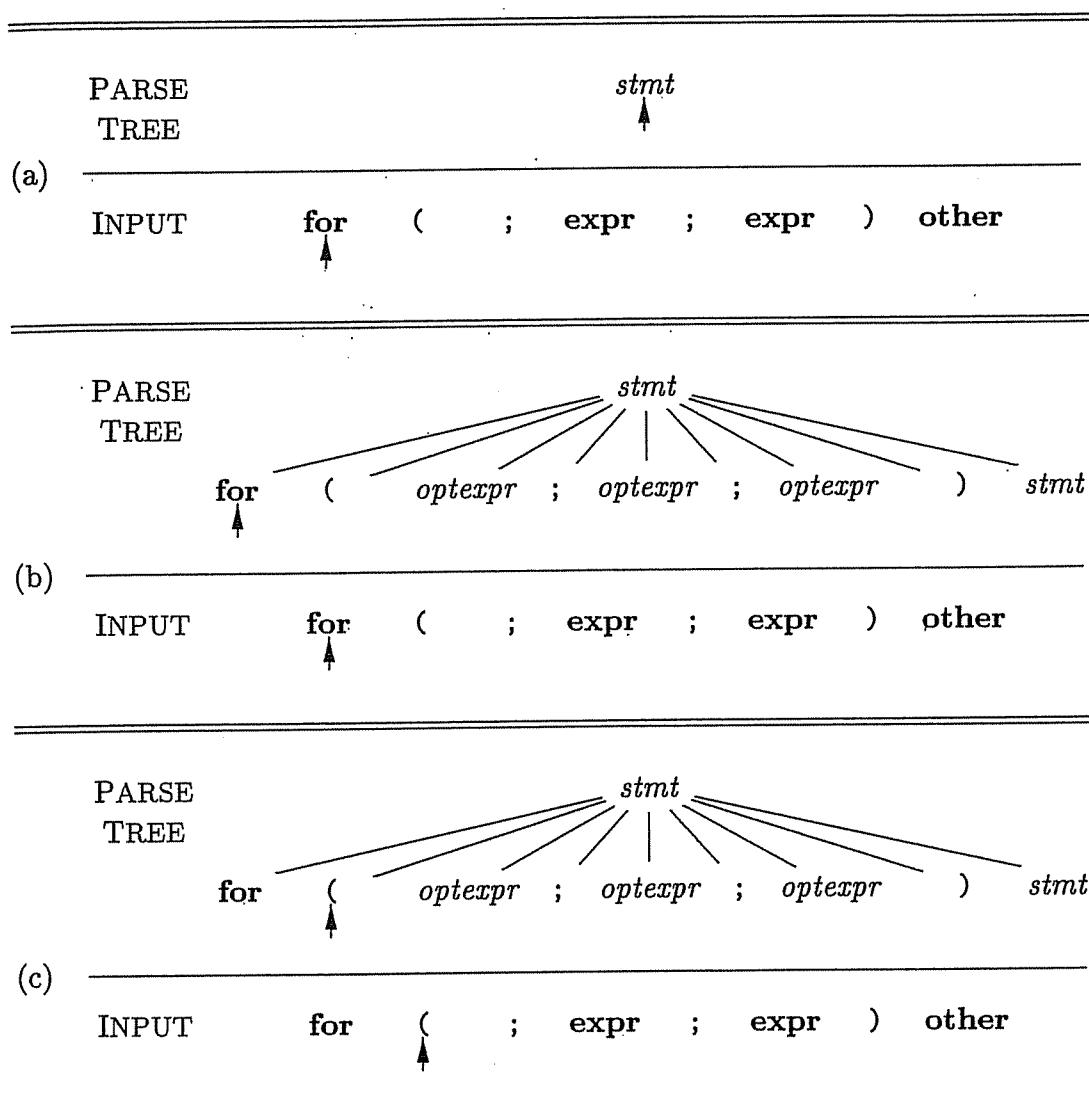


Figure 2.18: Top-down parsing while scanning the input from left to right

```

expr()
{
    term(); rest();
}

rest()
{
    if (lookahead == '+') {
        match('+'); term(); putchar('+'); rest();
    }
    else if (lookahead == '-') {
        match('-'); term(); putchar('-'); rest();
    }
    else ;
}

term()
{
    if (isdigit(lookahead)) {
        putchar(lookahead); match(lookahead);
    }
    else error();
}

```

Fig. C. Functions for the nonterminals *expr*, *rest*, and *term*.

```
rest()
{
L:   if (lookahead == '+') {
        match('+'); term(); putchar('+'); goto L;
    }
    else if (lookahead == '-') {
        match('-'); term(); putchar('-'); goto L;
    }
    else ;
}
```

Fig. D.

```
expr()
{
    term();
    while(1)
        if (lookahead == '+') {
            match('+'); term(); putchar('+');
        }
        else if (lookahead == '-') {
            match('-'); term(); putchar('-');
        }
        else break;
}
```

Fig. E. Replacement for functions `expr` and `rest` of Fig.

```

#include <ctype.h> /* loads file with predicate isdigit */
int lookahead;

main()
{
    lookahead = getchar();
    expr();
    putchar('\n'); /* adds trailing newline character */
}

expr()
{
    term();
    while(1)
        if (lookahead == '+') {
            match('+'); term(); putchar('+');
        }
        else if (lookahead == '-') {
            match('-'); term(); putchar('-');
        }
        else break;
}

term()
{
    if (isdigit(lookahead)) {
        putchar(lookahead);
        match(lookahead);
    }
    else error();
}

match(t)
int t;
{
    if (lookahead == t)
        lookahead = getchar();
    else error();
}

error()
{
    printf("syntax error\n"); /* print error message */
    exit(1);      /* then halt */
}

```

Fig. F. C program to translate an infix expression into postfix form.

```

(1) #include <stdio.h>
(2) #include <ctype.h>
(3) int lineno = 1;
(4) int tokenval = NONE;

(5) int lexan()
(6) {
(7)     int t;
(8)     while(1) {
(9)         t = getchar();
(10)        if (t == ' ' || t == '\t')
(11)            ; /* strip out blanks and tabs */
(12)        else if (t == '\n')
(13)            lineno = lineno + 1;
(14)        else if (isdigit(t)) {
(15)            tokenval = t - '0';
(16)            t = getchar();
(17)            while (isdigit(t)) {
(18)                tokenval = tokenval*10 + t-'0';
(19)                t = getchar();
(20)            }
(21)            ungetc(t, stdin);
(22)            return NUM;
(23)        }
(24)        else {
(25)            tokenval = NONE;
(26)            return t;
(27)        }
(28)    }
(29)

```

Fig. 6. C code for lexical analyzer eliminating white space and collecting num

Example 2.15: The following pseudocode uses subscripts to distinguish among distinct declarations of the same identifier:

```

1)  {   int  $x_1$ ; int  $y_1$ ;
2)    {   int  $w_2$ ; bool  $y_2$ ; int  $z_2$ ;
3)      ...  $w_2$  ...; ...  $x_1$  ...; ...  $y_2$  ...; ...  $z_2$  ...;
4)    }
5)    ...  $w_0$  ...; ...  $x_1$  ...; ...  $y_1$  ...;
6)  }

```

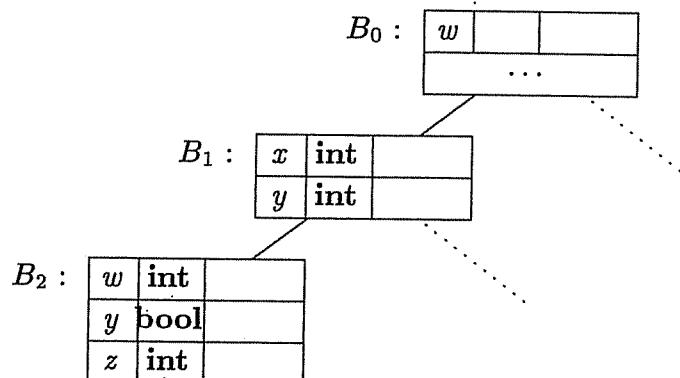


Figure 2.36: Chained symbol tables for Example 2.15

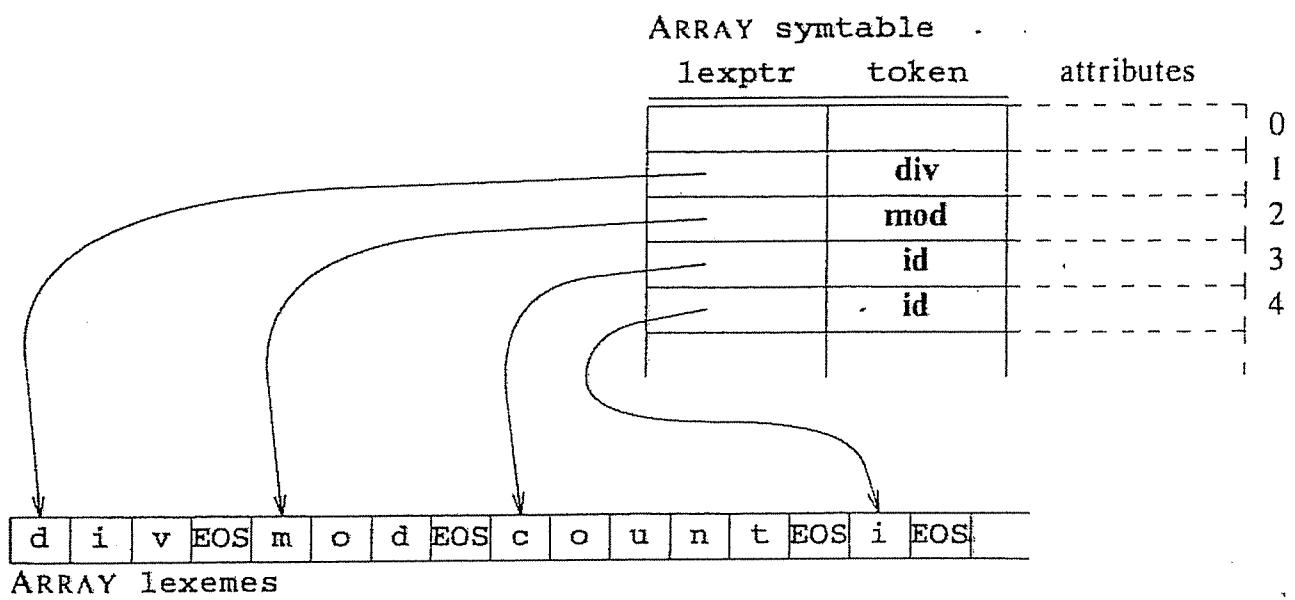


Fig. H. Symbol table and array for storing strings.

```

function lexan: integer;
var   lexbuf: array [0..100] of char;
        c:      char;
begin
    loop begin
        read a character into c;
        if c is a blank or a tab then
            do nothing
        else if c is a newline then
            lineno := lineno + 1
        else if c is a digit then begin
            set tokenval to the value of this and following digits;
            return NUM
        end
        else if c is a letter then begin
            place c and successive letters and digits into lexbuf;
            p := lookup(lexbuf);
            if p = 0 then
                p := insert(lexbuf, ID);
            tokenval := p;
            return the token field of table entry p
        end
        else begin /* token is a single character */
            set tokenval to NONE; /* there is no attribute */
            return integer encoding of character c
        end
    end
end

```

Fig. 1. Pseudo-code for a lexical analyzer.

<i>program</i>	\rightarrow	<i>block</i>	$\{ \text{return } \textit{block}.\textit{n}; \}$
<i>block</i>	\rightarrow	'{' <i>stmts</i> '}'	$\{ \textit{block}.\textit{n} = \textit{stmts}.\textit{n}; \}$
<i>stmts</i>	\rightarrow	<i>stmts</i> ₁ <i>stmt</i>	$\{ \textit{stmts}.\textit{n} = \textbf{new } Seq(\textit{stmts}_1.\textit{n}, \textit{stmt}.\textit{n}); \}$
	$ $	ϵ	$\{ \textit{stmts}.\textit{n} = \textbf{null}; \}$
<i>stmt</i>	\rightarrow	<i>expr</i> ;	$\{ \textit{stmt}.\textit{n} = \textbf{new } Eval(\textit{expr}.\textit{n}); \}$
	$ $	if (<i>expr</i>) <i>stmt</i> ₁	$\{ \textit{stmt}.\textit{n} = \textbf{new } If(\textit{expr}.\textit{n}, \textit{stmt}_1.\textit{n}); \}$
	$ $	while (<i>expr</i>) <i>stmt</i> ₁	$\{ \textit{stmt}.\textit{n} = \textbf{new } While(\textit{expr}.\textit{n}, \textit{stmt}_1.\textit{n}); \}$
	$ $	do <i>stmt</i> ₁ while (<i>expr</i>);	$\{ \textit{stmt}.\textit{n} = \textbf{new } Do(\textit{stmt}_1.\textit{n}, \textit{expr}.\textit{n}); \}$
	$ $	<i>block</i>	$\{ \textit{stmt}.\textit{n} = \textit{block}.\textit{n}; \}$
<i>expr</i>	\rightarrow	<i>rel</i> = <i>expr</i> ₁	$\{ \textit{expr}.\textit{n} = \textbf{new } Assign('=', \textit{rel}.\textit{n}, \textit{expr}_1.\textit{n}); \}$
	$ $	<i>rel</i>	$\{ \textit{expr}.\textit{n} = \textit{rel}.\textit{n}; \}$
<i>rel</i>	\rightarrow	<i>rel</i> ₁ < <i>add</i>	$\{ \textit{rel}.\textit{n} = \textbf{new } Rel('<', \textit{rel}_1.\textit{n}, \textit{add}.\textit{n}); \}$
	$ $	<i>rel</i> ₁ <= <i>add</i>	$\{ \textit{rel}.\textit{n} = \textbf{new } Rel('\'\leq', \textit{rel}_1.\textit{n}, \textit{add}.\textit{n}); \}$
	$ $	<i>add</i>	$\{ \textit{rel}.\textit{n} = \textit{add}.\textit{n}; \}$
<i>add</i>	\rightarrow	<i>add</i> ₁ + <i>term</i>	$\{ \textit{add}.\textit{n} = \textbf{new } Op('+', \textit{add}_1.\textit{n}, \textit{term}.\textit{n}); \}$
	$ $	<i>term</i>	$\{ \textit{add}.\textit{n} = \textit{term}.\textit{n}; \}$
<i>term</i>	\rightarrow	<i>term</i> ₁ * <i>factor</i>	$\{ \textit{term}.\textit{n} = \textbf{new } Op('*', \textit{term}_1.\textit{n}, \textit{factor}.\textit{n}); \}$
	$ $	<i>factor</i>	$\{ \textit{term}.\textit{n} = \textit{factor}.\textit{n}; \}$
<i>factor</i>	\rightarrow	(<i>expr</i>)	$\{ \textit{factor}.\textit{n} = \textit{expr}.\textit{n}; \}$
	$ $	<i>num</i>	$\{ \textit{factor}.\textit{n} = \textbf{new } Num(\textbf{num}.\textit{value}); \}$

Figure 2.39: Construction of syntax trees for expressions and statements

$start \rightarrow list \text{ eof}$
 $list \rightarrow expr ; list$
 | ϵ
 $expr \rightarrow expr + term \quad \{ print('+) \}$
 | $expr - term \quad \{ print('-) \}$
 | $term$
 $term \rightarrow term * factor \quad \{ print('*') \}$
 | $term / factor \quad \{ print('/') \}$
 | $term \text{ DIV } factor \quad \{ print('DIV') \}$
 | $term \text{ MOD } factor \quad \{ print('MOD') \}$
 | $factor$
 $factor \rightarrow (expr)$
 | $id \quad \{ print(id.lexeme) \}$
 | $num \quad \{ print(num.value) \}$

Fig. 2.35. Specification for infix-to-postfix translator.

```

start → list eof
list → expr ; list
| ε
expr → term moreterms
moreterms → + term { print('+') } moreterms
| - term { print('-') } moreterms
| ε
term → factor morefactors
morefactors → * factor { print('*') } morefactors
| / factor { print('/') } morefactors
| div factor { print('DIV') } morefactors
| mod factor { print('MOD') } morefactors
| ε
factor → ( expr )
| id { print(id.lexeme) }
| num { print(num.value) }

```

Fig. 2.38. Syntax-directed translation scheme after eliminating left-recursion.

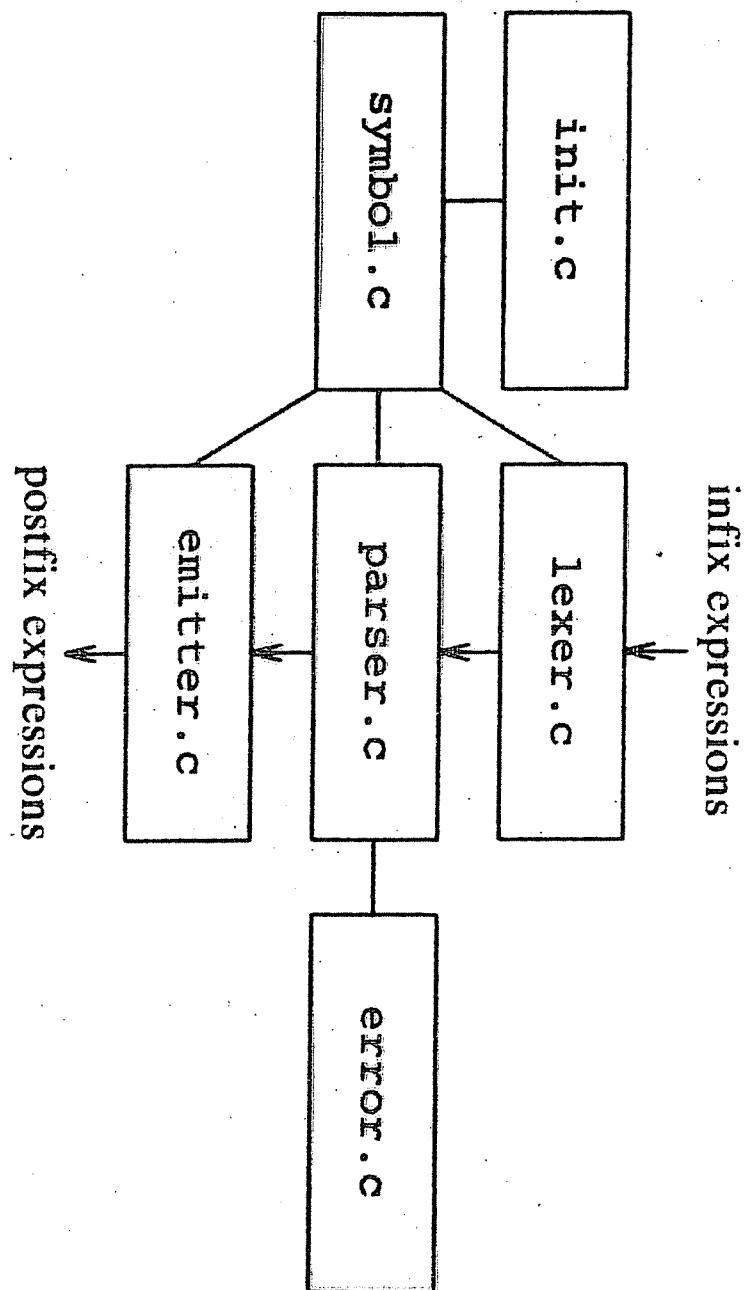


Fig. 2.36. Modules of infix-to-postfix translator.