

EECS 361
Homework #4

1. Section 3.2 Participation Activities
 - 3.2.1: Measuring impulse response via a narrow pulse input.
 - 3.2.2: Determining impulse response as the derivative of the step response.
2. (Concept: Measuring system response)
An unknown LTI system is provided. Describe a method to find the impulse response of this system.
3. (Concept: Relationship between impulse and step responses)
Find the impulse response for a system with an step response of

$$y_{\text{step}}(t) = 2 \operatorname{tri}\left(\frac{t-6}{6}\right)$$

4. (Concept: Measuring impulse response)
Exercise 3.2.5
5. Section 3.3 Participation Activities
 - 3.3.1: Methods to implement convolution.
 - 3.3.2: Convolution of rectangular pulses.
 - 3.3.3: Convolution of rectangular pulses, heights 3 and 4, widths 1 and 2.
6. (Concept: Linear property of the convolution integral)
Show that a system represented by a convolution integral is a linear system.

$$\int_{-\infty}^{\infty} x(\tau) h(t - \tau) d\tau$$

7. Section 3.4 Participation Activities
 - 3.4.1: RC circuit response to rectangle pulse, graphical and analytical convolution.
 - 3.4.3: Graphical convolution of rectangular pulse input and triangle impulse response.
8. (Concept: Continuous time convolution)
Find and plot the convolution of the following functions.
 - a. $x(t) = 4 \operatorname{rect}\left(\frac{t}{4}\right)$ and $h(t) = 8 \operatorname{rect}\left(\frac{t}{4}\right)$
 - b. $x(t) = 4 \operatorname{rect}\left(\frac{t-1}{4}\right)$ and $h(t) = 8 \operatorname{rect}\left(\frac{t-4}{4}\right)$
 - c. $x(t) = 1 \operatorname{rect}(t - 1)$ and $h(t) = 2 \operatorname{rect}\left(\frac{t-2}{2}\right)$
 - d. $x(t) = \operatorname{rect}(t - .5)$ and $h(t) = t \operatorname{rect}(t - .5) + u(t-1)$
9. (Concept: Continuous time convolution of time shifted signals)
 - a. Let $x(t) = \operatorname{rect}\left(\frac{t-5}{3}\right)$ and $h(t) = \operatorname{rect}\left(\frac{t-10}{3}\right)$, find $y(t) = h(t) * x(t)$ and plot $y(t)$.
 - b. Repeat for $x(t) = \operatorname{rect}\left(\frac{t-10}{3}\right) + \operatorname{rect}\left(\frac{t+10}{3}\right)$